

# **Technical Whitepaper**

# Machine learning – using embedPy to apply LASSO regression

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# Machine learning: Using embedPy to apply LASSO regression

From its deep roots in financial technology Kx is expanding into new fields. It is important for q to communicate seamlessly with other technologies. The embedPy interface<sup>1</sup> allows this to be done with Python.

The interface allows the kdb+ interpreter to manipulate Python objects, call Python functions, and load Python libraries. Developers can fuse the technologies, allowing seamless application of q's high-speed analytics and Python's extensive libraries.

This whitepaper introduces embedPy, covering both a range of basic tutorials as well as a comprehensive solution to a machine-learning project.

EmbedPy is available on GitHub for use with kdb+ V3.5+ and

- Python 3.5+ on macOS or Linux
- Python 3.6+ on Windows

The installation directory also contains a README.txt about embedPy, and a directory of detailed examples.



# EmbedPy basics

In this section, we introduce some core elements of embedPy that will be used in the LASSO regression problem that follows.

Full documentation for embedPy<sup>2</sup>

#### Installing embedPy in kdb+

Download the embedPy package from GitHub: KxSystems/embedPy<sup>3</sup>

Follow the instructions in README.md for installing the interface. Load p.q into kdb+ through either:

```
• the command line: $ q p.q
```

• the q session: q)\l p.q

#### **Executing Python code from a q session**

Python code can be executed in a q session by either using the p) prompt, or the .p namespace:

```
q)p)def add1(arg1): return arg1+1
q)p)print(add1(10))
q).p.e"print(add1(5))"
q).p.qeval"add1(7)"
                                          / print Python result
```

### **Interchanging variables**

Python objects live in the embedded Python memory space. In q, these are foreign objects that contain pointers to the Python objects. They can be stored in q as variables, or as parts of lists, tables, and dictionaries, and will display foreign when inspected in the q console. Foreign objects cannot be serialized by kdb+ or passed over IPC; they must first be converted to q.

<sup>2.</sup> http://code.kx.com/q/ml/embedpy

<sup>3.</sup> https://github.com/kxsystems/embedpy



This example shows how to convert a Python variable into a foreign object using .p.pyget. A foreign object can be converted into q by using .p.py2q:

```
q)p)var1=2
q).p.pyget`var1
foreign
q).p.py2q .p.pyget`var1
2
```

#### Foreign objects

Whilst foreign objects can be passed back and forth between q and Python and operated on by Python, they cannot be operated on by q directly. Instead, they must be converted to q data. To make it easy to convert back and forth between q and Python representations a foreign object can be wrapped as an embedPy object using .p.wrap

```
q)p:.p.wrap .p.pyget`var1
q)p
{[f;x]embedPy[f;x]}[foreign]enlist
```

Given an embedPy object representing Python data, the underlying data can be returned as a foreign object or q item:

### Edit Python objects from q

Python objects are retrieved and executed using .p.get. This will return either a q item or foreign object. There is no need to keep a copy of a Python object in the q memory space; it can be edited directly.

The first parameter of .p.get is the Python object name, and the second parameter is either < or >, which will return q or foreign objects respectively. The following parameters will be the input parameters to execute the Python function.

This example shows how to call a Python function with one input parameter, returning q:



#### Python keywords

EmbedPy allows keyword arguments to be specified, in any order, using pykw:

```
q)p)def times_args(arg1, arg2): res = arg1 * arg2; return(res)
q).p.get['times_args;<;'arg2 pykw 10; 'arg1 pykw 3]
30</pre>
```

#### **Importing Python libraries**

To import an entire Python library, use .p.import and call individual functions:

```
q)np:.p.import'numpy
q)v:np[':arange;12]
q)v'
0 1 2 3 4 5 6 7 8 9 10 11
```

Individual packages or functions are imported from a Python library by specifying them during the import command.



# Applying LASSO regression for analysing housing prices

This analysis uses LASSO regression to determine the prices of homes in Ames, Iowa. The dataset used in this demonstration is the Ames Housing Dataset, compiled by Dean De Cock for use in data-science education. It contains 79 explanatory variables describing various aspects of residential homes which influence their sale prices.

# **⊕** kaggle.com<sup>4</sup>

The Least Absolute Shrinkage and Selection Operator (LASSO) method was used for the data analysis. LASSO is a method that improves the accuracy and interpretability of multiple linear regression models by adapting the model fitting process to use only a subset of *relevant* features.

It performs L1 regularization, adding a penalty equal to the absolute value of the magnitude of coefficients, which reduces the less-important features' coefficients to zero. This leaves only the most relevant feature vectors to contribute to the target (sale price), which is useful given the high dimensionality of this dataset.

A kdb+ Jupyter notebook on GitHub accompanies this paper.

kxcontrib/embedpy-lasso5

<sup>4.</sup> https://www.kaggle.com/c/house-prices-advanced-regression-techniques/data

<sup>5.</sup> https://github.com/kxcontrib/embedpy-lasso



# Cleaning and pre-processing data in kdb+

#### Load data

As the data are stored in CSVs, the standard kdb+ method of loading a CSV is used. The raw dataset has column names beginning with numbers, which kdb+ will not allow in queries, so the columns are renamed on loading.

#### Log-transform the sale price

The sale price is log-transformed to obtain a simpler relationship of data to the sale price.

```
update SalePrice:log SalePrice from `train
y:train.SalePrice
```

#### Clean data

Cleaning the data involves several steps. First, ensure that there are no duplicated data, and then remove outliers as suggested by the dataset's author<sup>6</sup>.

```
q)count[train]~count exec distinct Id from train
1b
q)delete Id from `train
q)delete from `train where GrLivArea > 4000
```

Next, null data points within the features are assumed to mean that it does not have that feature. Any 'NA values are filled with 'No or 'None, depending on category.

<sup>6.</sup> https://www.tandfonline.com/doi/abs/10.1080/10691898.2011.11889627



```
updateNulls:{[t]
    noneC: `Alley `MasVnrType;
    noC: `BsmtQual `BsmtCond `BsmtExposure `BsmtFinType1 `BsmtFinType2 `Fence `FireplaceQu;
    noC,: `GarageType `GarageFinish `GarageQual `GarageCond `MiscFeature `PoolQC;
    a:raze{y!{(?;(=;enlist `NA;y);enlist x;y)}[x;]each y}'[`None `No;(noneC;noC)];
    ![t;();0b;a]}
train:updateNulls train
```

Convert some numerical features into categorical features, such as mapping months and sub-classes. This is done for one-hot encoding later.

```
monthDict:(1+til 12)!'Jan'Feb'Mar'Apr'May'Jun'Jul'Aug'Sep'Oct'Nov'Dec
@['train;'MoSold;monthDict]
subclDict:raze {enlist[x]!enlist['$"SC",string[x]]}
each 20 30 40 45 50 60 70 75 80 85 90 120 160 180 190
@['train;'MSSubClass;subclDict]
```

Convert some categorical features into numerical features, such as assigning grading to each house quality, encoding as ordered numbers. These fields were selected for numerical conversion as their categorical values are easily mapped intuitively, while other fields are less so.

```
@['train;; 'None'Grvl'Pave!til 3] each 'Alley'Street
quals: 'BsmtCond'BsmtQual'ExterCond'ExterQual'FireplaceQu
quals,:'GarageCond'GarageQual'HeatingQC'KitchenQual
@['train;; 'No'Po'Fa'TA'Gd'Ex!til 6] each quals
@['train; 'BsmtExposure; 'No'Mn'Av'Gd!til 4]
@['train;; 'No'Unf'LwQ'Rec'BLQ'ALQ'GLQ!til 7] each 'BsmtFinType1'BsmtFinType2
@['train; 'Functional; 'Sal'Sev'Maj2'Maj1'Mod'Min2'Min1'Typ!1+til 8]
@['train; 'LandSlope; 'Sev'Mod'Gtl!1+til 3]
@['train; 'LotShape; 'IR3'IR2'IR1'Reg!1+til 4]
@['train; 'PavedDrive; 'N'P'Y!til 3]
@['train; 'PoolQC; 'No'Fa'TA'Gd'Ex!til 5]
@['train; 'Utilities; 'ELO'NoSeWa'NoSewr'AllPub!1+til 4]
```

### Feature engineering

To increase the model's accuracy, some features are simplified and combined based on similarities. This is done in three steps demonstrated below.

#### Simplification of existing features

Some numerical features' scopes are reduced, and several categorical features are mapped to become simple numerical features.



```
ftrs:'OverallQual'OverallCond'GarageCond'GarageQual'FireplaceQu'KitchenQual
ftrs,:'HeatingQC'BsmtFinType1'BsmtFinType2'BsmtCond'BsmtQual'ExterCond'ExterQual
rng:(1+til 10)!1 1 1 2 2 2 3 3 3 3
{!['train;();0b;enlist['$"Simpl",string[x]]!enlist (rng;x)]} each ftrs
rng:(1+til 8)!1 1 2 2 3 3 3 4
{!['train;();0b;enlist['$"Simpl",string[x]]!enlist (rng;x)]} each 'PoolQC'Functional
```

#### **Combination of existing features**

Some of the features are very similar and can be combined into one. For example, Fireplaces and FireplaceQual can become one overall feature of FireplaceScore.

```
gradeFuncPrd:{[t;c1;c2;cNew]![t;();0b;enlist[`$string[cNew]]!enlist (*;c1;c2)]}
combineFeat1: 'OverallQual'GarageQual'ExterQual'KitchenAbvGr,
  `Fireplaces`GarageArea`PoolArea`SimplOverallQual`SimplExterQual,
  `PoolArea`GarageArea`Fireplaces`KitchenAbvGr
combineFeat2: 'OverallCond'GarageCond'ExterCond'KitchenOual.
  `FireplaceQu`GarageQual`PoolQC`SimplOverallCond`SimplExterCond,
  `SimplPoolQC`SimplGarageQual`SimplFireplaceQu`SimplKitchenQual
combineFeat3: 'OverallGrade'GarageGrade'ExterGrade'KitchenScore,
  `FireplaceScore`GarageScore`PoolScore`SimplOverallGrade`SimplExterGrade,
  `SimplPoolScore`SimplGarageScore`SimplFireplaceScore`SimplKitchenScore;
train:train{gradeFuncPrd[x;]. y}/flip(combineFeat1; combineFeat2; combineFeat3)
update TotalBath:BsmtFullBath+FullBath+0.5*BsmtHalfBath+HalfBath,
  AllSF:GrLivArea+TotalBsmtSF.
 AllFlrsSF:firFlrSF+secFlrSF,
 AllPorchSF:OpenPorchSF+EnclosedPorch+threeSsnPorch+ScreenPorch,
 HasMasVnr:(('BrkCmn'BrkFace'CBlock'Stone'None)!((4#1).0))[MasVnrType].
  BoughtOffPlan:(('Abnorml'Alloca'AdjLand'Family'Normal'Partial)!((5#0),1))[SaleCondition]
 from `train
```

Use correlation (cor) to find the features that have a positive relationship with the sale price. These will be the most important features relative to the sale price, as they become more prominent with an increasing sale price.



```
q)corr:desc raze {enlist[x]!enlist train.SalePrice cor ?[train;();();x]}
 each exec c from meta[train] where not t="s"
q)10#\SalePrice _ corr / Top 10 most relevant features
OverallQual
                0.8192401
A11SF
                 0.8172716
AllFlrsSF
                 0.729421
GrLivArea
                 0.7188441
SimplOverallQual | 0.7079335
ExterQual
                 0.6809463
GarageCars
                 0.6804076
TotalBath
                0.6729288
KitchenOual
                0.6671735
GarageScore
               0.6568215
```

#### Polynomials on the top ten existing features

Create new polynomial features from the top ten most relevant features. These mathematically derived features will improve the model by increasing flexibility. Polynomial regression is used as it describes the relationship between the data and sale price most accurately.

```
polynom:{[t;c]
    a:raze(!).'(
      { `$string[x] ,/:("_2";"_3";"_sq")};
      {((^;2;x);(^;3;x);(sqrt;x))}
)@\:/:c;
![t;();0b;a]}
train:polynom[train;key 10#`SalePrice _ corr]
```

#### Handling categorical and numerical features separately

Split the dataset into numerical features (minus the sale price) and categorical features.

```
.feat.categorical:?[train;();0b;]{x!x}
  exec c from meta[train] where t="s"

.feat.numerical:?[train;();0b;]{x!x}
  (exec c from meta[train] where not t="s") except `SalePrice
```

#### **Numerical features**

Fill nulls with the median value of the column:

```
!['.feat.numerical;();0b;{x\!{(^;(med;x);x)}each x}cols .feat.numerical]
```



Outliers in the numerical features are assumed to have a skewness of >0.5. These are log-transformed to reduce their impact:

```
skew:.p.import['scipy.stats;':skew] / import Python skew function
skewness:{skew[x]'}each flip .feat.numerical
@['.feat.numerical;where abs[skewness]>0.5;{log[1+x]}]
```

#### **Categorical features**

Create dummy features via one-hot encoding, then join with numerical results for complete dataset.

```
oneHot:{[pvt;t;clm]
    t:?[t;();0b;{x!x}enlist[clm]];
    prePvt:![t;();0b;`name`true!(($;enlist`;((/:;,);string[clm],"_";($:;clm)));1)];
    pvtCol:asc exec distinct name from prePvt;
    pvtTab:0^?[prePvt;();{x!x}enlist[clm];(#;`pvtCol;(!;`name;`true))];
    pvtRes:![t lj pvtTab;();0b;enlist clm];$[()~pvt;pvtRes;pvt,'pvtRes]}

train:.feat.numerical,'()oneHot[;.feat.categorical;]/cols .feat.categorical
```

#### **Modeling**

#### Splitting data

Partition the dataset into training sets and test sets by extracting random rows. The training set will be used to fit the model, and the test set will be used to provide an unbiased evaluation of the final model.

```
trainIdx:-1019?exec i from train // training indices
X_train:train[trainIdx]
yTrain:y[trainIdx]
X_test:train[(exec i from train) except trainIdx]
yTest:y[(exec i from train) except trainIdx]
```

#### Standardize numerical features

Standardization is done after the partitioning of training and test sets to apply the standard scalar independently across both. This is done to produce more standardized coefficients from the numerical features.

```
stdSc:{(x-avg x) % dev x}
@['X_train;;stdSc] each cols .feat.numerical
@['X_test;;stdSc] each cols .feat.numerical
```



# Transform kdb+ tables into Python-readable matrices

xTrain:flip value flip X\_train
xTest:flip value flip X\_test



# Analysis using embedPy

This section analyses the data using several Python libraries from inside the q process: pandas, NumPy, sklearn and Matplotlib.

#### **Import Python libraries**

```
pd:.p.import'pandas
np:.p.import'numpy
cross_val_score:.p.import['sklearn.model_selection;':cross_val_score]
qLassoCV:.p.import['sklearn.linear_model;':LassoCV]
```

#### Train the LASSO model

Create NumPy arrays of kdb+ data:

```
arrayTrainX:np[':array][0^xTrain]
arrayTrainY:np[':array][yTrain]
arrayTestX: np[':array][0^xTest]
arrayTestY: np[':array][yTest]
```

Use pykw to set alphas, maximum iterations, and cross-validation generator.

Fit linear model using training data, and determine the amount of penalization chosen by cross-validation (sum of absolute values of coefficients). This is defined as alpha, and is expected to be close to zero given LASSO's shrinkage method:

```
q)qLassoCV[':fit][arrayTrainX;arrayTrainY]
q)alpha:qLassoCV[':alpha_]'
q)alpha
0.01
```

# Define the error measure for official scoring: Mean squared error (MSE)

The MSE is commonly used to analyze the performance of statistical models utilizing linear regression. It measures the accuracy of the model and is capable of indicating



whether removing some explanatory variables is possible without impairing the model's predictions. A value of zero measures perfect accuracy from a model. The MSE will measure the difference between the values predicted by the model and the values actually observed. MSE scoring is set in the qLassoCV function using pykw, which allows individual keywords to be specified.

```
crossValScore:.p.import['sklearn;':model_selection;':cross_val_score]
mseCV:{crossValScore[qLassoCV;x;y;'scoring pykw 'neg_mean_squared_error]'}
```

The average of the MSE results shows that there are relatively small error measurements from this model.

```
q)avg mseCV[np[':array][0^xTrain];np[':array][yTrain]]
-0.1498252
```

#### Find the most important coefficients

```
q)impCoef:desc cols[train]!qLassoCV[':coef_]'
q)count where value[impCoef]=0
284
q)(5#impCoef),-5#impCoef
TotalBsmtSF | 0.05086288
GrLivArea
            0.02549123
OverallCond | 0.02080637
TotalBath_sq | 0.01637903
PavedDrive | 0.01415822
             -0.009958406
LandSlope
BsmtFinType2 | -0.01045939
KitchenAbvGr | -0.01527232
Street
             -0.01618361
LotShape
            -0.02050625
```

As seen above, LASSO eliminated 284 features, and therefore only used one-tenth of the features. The most influential coefficients show that LASSO gives higher weight to the overall size and condition of the house, as well as some land and street characteristics, which intuitively makes sense. The total square foot of the basement area (TotalBsmtSF) has a large positive impact on the sale price, which seems unintuitive, but could be correlated to the overall size of the house.

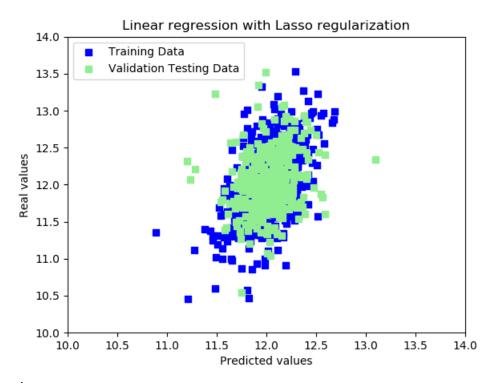
#### **Prediction results**

```
lassoTest:qLassoCV[':predict][arrayTestX]
```

The image lassopred.png illustrates the predicted results, plotted on a scatter graph using Matplotlib:



```
qplt:.p.import[`matplotlib.pyplot];
ptrain:qLassoCV[`:predict][arrayTrainX];
ptest: qLassoCV[':predict][arrayTestX];
qplt[':scatter]
 [ptrain';
  yTrain;
   `с
           pykw "blue";
   `marker pykw "s";
   `label pykw "Training Data"];
qplt[':scatter];
  [ptest';
  yTest;
           pykw "lightgreen";
   `с
   'marker pykw "s";
   `label pykw "Validation Testing Data"];
qplt[':title]"Linear regression with Lasso regularization";
qplt[`:xlabel]"Predicted values";
qplt[`:ylabel]"Real values";
qplt[':legend]'loc pykw "upper left";
bounds:({floor min x};{ceiling max x})@\:/:raze
 each((ptrain';ptest');(yTrain;yTest));
bounds:4#bounds first idesc{abs x-y}./:bounds;
qplt[':axis]bounds;
qplt[\:savefig]"lassopred.png";
```



lassopred.png



#### Conclusion

In this whitepaper, we have shown how easily embedPy allows q to communicate with Python and its vast range of libraries and packages. We saw how machine-learning libraries can be coupled with q's high-speed analytics to significantly enhance the application of solutions across big data stored in kdb+. Python's keywords can be easily communicated across functions using the powerful pykw, and visualization tools such as Matplotlib can create useful graphics of kdb+ datasets and analytics results. Also demonstrated was how q's vector-oriented nature is optimal for cleaning and pre-processing big datasets.

This interface is useful across many institutions that are developing in both languages, allowing for the best features of both technologies to fuse into a powerful tool. Further machine-learning techniques powered by kdb+ can be found under *Featured Resources* at kx.com/machine-learning<sup>7</sup>.

<sup>7.</sup> https://kx.com/machine-learning/